



Distributed Systems

Summer Term 2020

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6 Time and Global State



- ➔ Synchronization of physical clocks
- ➔ Lamport's happened before relation
- ➔ Logical clocks
- ➔ Global state

Literature

- ➔ Tanenbaum, van Steen: Kap. 5.1-5.3
- ➔ Colouris, Dollimore, Kindberg: Kap. 10
- ➔ Stallings: Kap 14.2




What is the difference between a distributed system and a single/multiprocessor system?


- ➔ Single or multiprocessor system:
 - ➔ concurrent processes: pseudo-parallel by time sharing or truly parallel
 - ➔ global time: all events in the processes can be ordered unambiguously in terms of time
 - ➔ global state: at any time a unique state of the system can be determined
- ➔ Distributed system
 - ➔ true parallelism
 - ➔ no global time
 - ➔ no unique global state

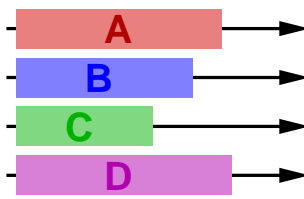


Concurrency vs. (true) parallelism

Example: 4 processes

sequential 
One time line, processes are not interrupted.

concurrent 
One time line, processes can be interrupted by others at any time: interleaved execution.

parallel 
Each node / process has its own time line! Events in different processes can truly happen simultaneously.



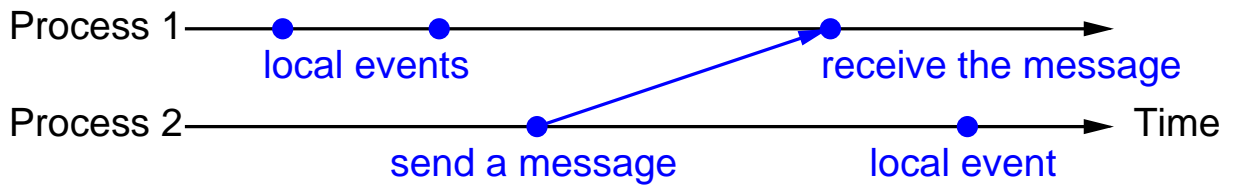
Global Time

- ➔ In a single/multiprocessor system
 - ➔ each event can (at least theoretically) be assigned a unique time stamp of the same local clock
 - ➔ for multiprocessor systems: synchronization at the shared memory
- ➔ In distributed systems:
 - ➔ many local clocks (one per node)
 - ➔ exact synchronization of clocks is (on principle!) not possible
 - ➔ \Rightarrow the sequence of events on different nodes can not (always) be determined uniquely
 - ➔ (cf. special theory of relativity)

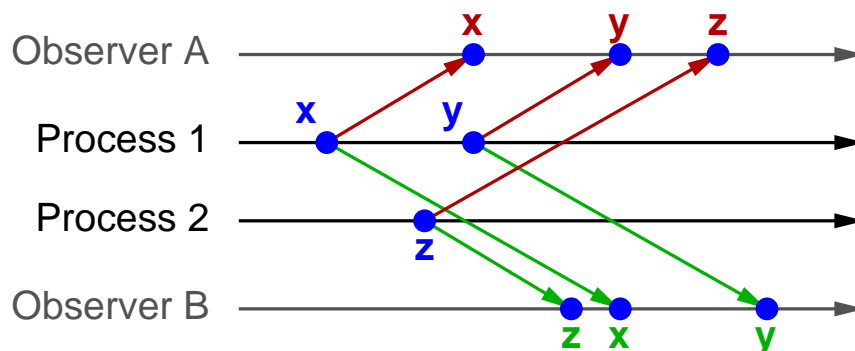


An effect of distribution

- ➔ Preliminary remark: events in distributed systems



- ➔ Scenario: two processes observe two other processes



An effect of distribution ...

- ➔ The observers may see the events in different order!
- ➔ Problem e.g., if the observers are replicated databases and the events are database updates
 - ➔ replicas are no longer consistent!
- ➔ Even from time stamps of (local) clocks it is not possible to determine the order of events in a meaningful way
- ➔ Hence, in such cases:
 - ➔ events with timestamps of **logical clocks** (↪ 6.3)
 - ➔ logical clocks allow conclusions to be made about causal order

6.1 Synchronizing Physical Clocks

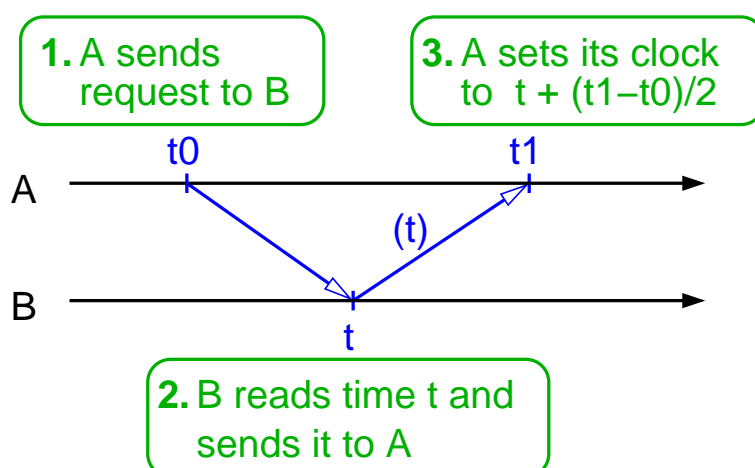
- ➔ Physical clock shows 'real' time
 - ➔ based on UTC (Universal Time Coordinated)
- ➔ Each computer has its own (physical) clock
 - ➔ quartz oscillator with counter in HW and if necessary in SW
- ➔ Clocks usually differ from each other (**offset**)
 - ➔ Offset changes over time: **clock drift**
 - ➔ typ. 10^{-6} for quartz crystals, 10^{-13} for atomic clocks
- ➔ Goal of clock synchronization:
 - ➔ keep the offset of the clocks under a given limit
 - ➔ **clock skew**: maximum allowed deviation

6.1 Synchronizing Physical Clocks ...

(Animated slide)

Cristian's Method

- ➔ Assumption: *A* and *B* want to synchronize their clocks with each other
 - ➔ *B* can also be a time server (e.g. with GPS clock)
- ➔ Protocol:



- ➔ *A* must take the runtime of the reply message into account
- ➔ estimate: runtime = half the round trip time = $(t_1 - t_0)/2$

Notes for slide 200:

What A should actually know is the transit time of the reply message from B to A. However, for reasons of principle this cannot be measured (exactly) (a measurement must always be made with **a single** clock at **a single** location). The best approximation that A can use is half the round trip time.

The interrupt latencies would not be a problem as long as they are known and constant. However, the unknown **differences** in the runtimes and latencies, which lead to unavoidable errors, are problematic.

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6.1 Synchronizing Physical Clocks ...



Cristian's Method: Discussion

- ➔ Problem: runtimes of both messages may be different
 - ➔ systematic differences (different paths / latencies)
 - ➔ statistical fluctuations of the transit time
- ➔ Accuracy estimate, if minimum transit time (min) is known:
 - ➔ B can have determined t at the earliest at time $t_0 + min$, at the latest at time $t_1 - min$ (measured with A 's clock)
 - ➔ thus accuracy $\pm ((t_1 - t_0)/2 - min)$
- ➔ To improve accuracy:
 - ➔ execute the message exchange multiple times
 - ➔ use the one with minimum round trip time

Notes for slide 201:

In [WRA02] it is shown how to improve the accuracy of successive synchronizations even further by looking at the “inverted” RTT (i.e. from an answer to the next request) in addition to the RTT of the requests.

Literature

- [WRA02] T. Worsch, R. Reussner, W. Augustin: On Benchmarking Collective MPI Operations, In D. Kranzlmüller et al. (Eds.): Euro PVM/MPI 2002, LNCS 2474, pages 271-279, 2002.
<http://www.springerlink.com/content/7yg119u0h02t8mth>

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6.1 Synchronizing Physical Clocks ...



Changing the clock

- ➔ Turning back is problematic
 - ➔ order / uniqueness of time stamps
- ➔ Non-monotonous “jumping” of the time also problematic
- ➔ Therefore: clock is generally adjusted slowly
 - ➔ runs faster / slower, until clock skew has been compensated

Further protocols

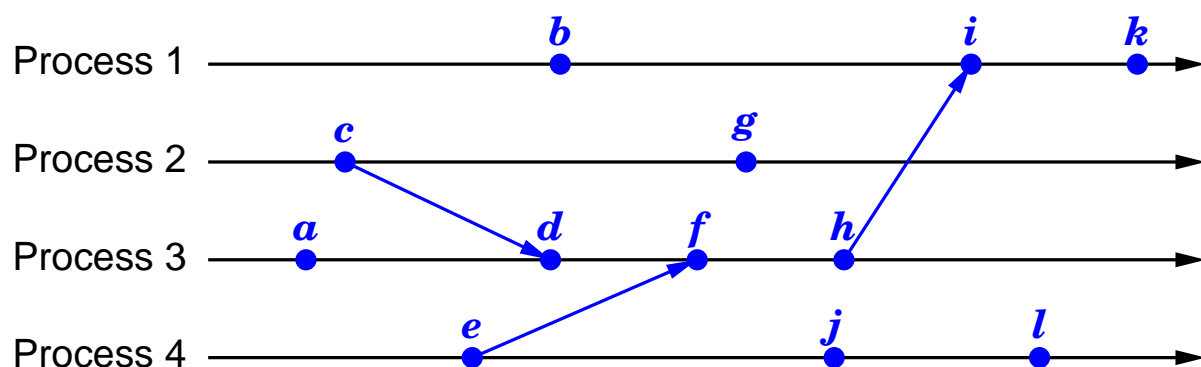
- ➔ Berkeley algorithm: server calculates mean value of all clocks
- ➔ NTP (Network Time Protocol): hierarchy of time servers in the Internet with periodic synchronization
- ➔ IEEE 1588: clock synchronization for automation systems

6.2 Lamport's Happened-Before Relation

- ➔ In two cases, the order of events can also be determined without a global clock:
 - if the events are in the same process, local clock is sufficient
 - the sending of a message is always before its reception
- ➔ Definition of the happened-before causality relation \rightarrow (*causality relation*)
 - if events a, b are in the same process i and $t_i(a) < t_i(b)$ (t_i : time stamp with i 's clock), then $a \rightarrow b$
 - if a is the sending of a message and b its receipt, then $a \rightarrow b$
 - if $a \rightarrow b$ and $b \rightarrow c$, then also $a \rightarrow c$ (transitivity)
- ➔ $a \rightarrow b$ means, that b **may** causally depend on a

6.2 Lamport's Happened-Before Relation ...

Examples



- ➔ Among others, we have here:
 - $b \rightarrow i$ and $a \rightarrow h$ (events in the same process)
 - $c \rightarrow d$ and $e \rightarrow f$ (sending / receiving a message)
 - $c \rightarrow k$ and $a \rightarrow i$ (transitivity)
 - $g \not\rightarrow l$ and $l \not\rightarrow g$: l and g are **concurrent** (*nebenläufig*)



6.3 Logical Clocks

- ➔ Physical clocks cannot be synchronized exactly
 - ➔ therefore: unsuitable for determining the **order** in which events occurred
- ➔ Logical clocks
 - ➔ refer to the causal order of events (happened-before relation)
 - ➔ no fixed relationship to real time
- ➔ In the following:
 - ➔ Lamport timestamps
 - ➔ are consistent with the happened-before relation
 - ➔ vector timestamps
 - ➔ allow sorting of events according to causality (i.e. happened-before relation)

6.3 Logical Clocks ...



Lamport Timestamps

- ➔ Lamport timestamps are natural numbers
- ➔ Each process i has a local counter L_i , that is updated as follows:
 - ➔ at (more precisely: before) each local event: $L_i = L_i + 1$
 - ➔ in each message, the time stamp L_i of the send event is also sent
 - ➔ at receipt of a message with time stamp t :
$$L_i = \max(L_i, t + 1)$$
- ➔ Lamport time stamps are consistent with the causality:
 - ➔ $a \rightarrow b \Rightarrow L(a) < L(b)$, where L is the Lamport timestamp in the respective process
 - ➔ but the reversal does not apply!

Notes for slide 206:

- ➔ When a local event occurs, the lamport time is incremented, before the time stamp is attached to the event.
- ➔ When a receive event occurs, the sequence is as follows:
 1. the message is received and the Lamport time stamp t is extracted from it,
 2. the lamport clock is updated to $L_i = \max(L_i, t + 1)$,
 3. the resulting time stamp is attached to the receive event.

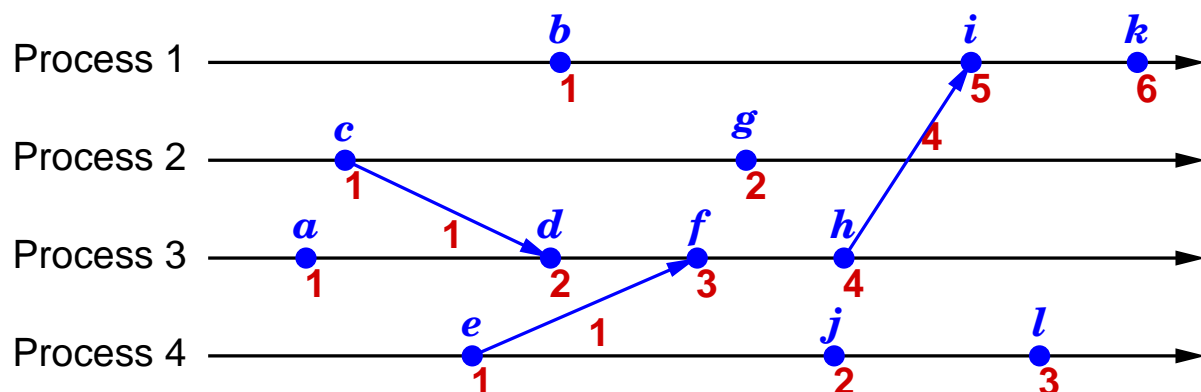
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6.3 Logical Clocks ...



(Animated slide)

Lamport Timestamps: Example



- ➔ Among others, we have here:
 - ➔ $c \rightarrow k$ and $L(c) < L(k)$
 - ➔ $g \not\rightarrow j$ and $L(g) \not< L(j)$
 - ➔ $g \not\rightarrow l$, but still $L(g) < L(l)$



Vector Timestamps

- ➔ Objective: timestamps that characterize causality
 - ➔ $a \rightarrow b \Leftrightarrow V(a) < V(b)$, where V is the vector timestamp in the respective process
- ➔ A vector clock in a system with N processes is a vector of N integers
 - ➔ each process has its own vector V_i
 - ➔ $V_i[i]$: number of events that have occurred so far in process i
 - ➔ $V_i[j], j \neq i$: number of events in process j , of which i knows
 - ➔ i.e. by which it could have been causally influenced



Vector Timestamps ...

- ➔ Update of V_i in process i :
 - ➔ before any local event: $V_i[i] = V_i[i] + 1$
 - ➔ V_i is included in every message sent
 - ➔ when receiving a message with timestamp t :
 $V_i[j] = \max(V_i[j], t[j])$ for all $j = 1, 2, \dots, N$
- ➔ Comparison of vector timestamps:
 - ➔ $V = V' \Leftrightarrow V[j] = V'[j]$ for all $j = 1, 2, \dots, N$
 - ➔ $V \leq V' \Leftrightarrow V[j] \leq V'[j]$ for all $j = 1, 2, \dots, N$
 - ➔ $V < V' \Leftrightarrow V \leq V' \wedge V \neq V'$
 - ➔ the relation $<$ defines a **partial** order

Notes for slide 209:

- ➔ When a local event occurs, the local component of the vector time is incremented, before the time stamp is attached to the event.
- ➔ When a receive event occurs, the sequence is as follows:
 1. the message is received and the vector time stamp t is extracted from it,
 2. the vector clock is updated to $V_i[j] = \max(V_i[j], t[j])$ for all $j = 1, 2, \dots, N$,
 3. the resulting time stamp is attached to the receive event.

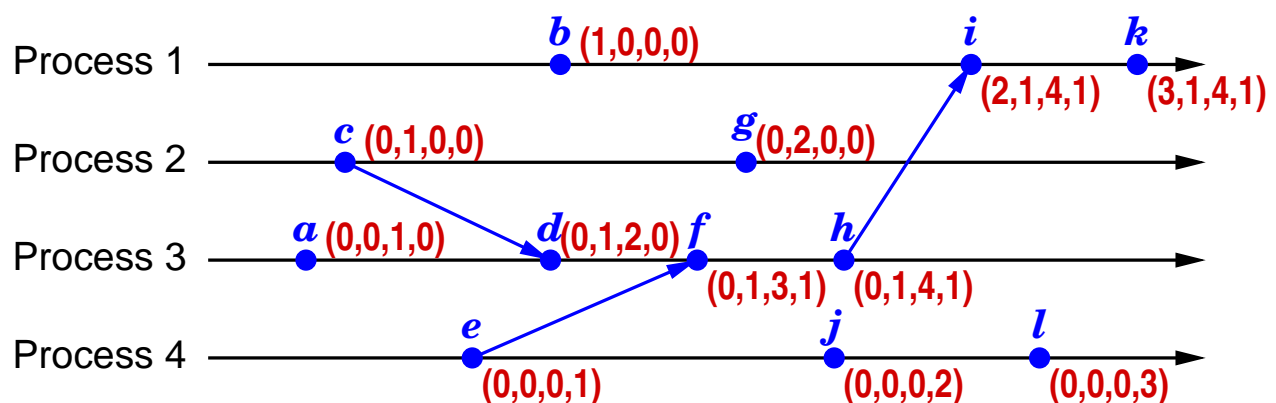
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6.3 Logical Clocks ...



(Animated slide)

Vector Timestamps: Example



- ➔ Among others, we have here:
 - ➔ $c \rightarrow k$ and $V(c) < V(k)$
 - ➔ $g \not\rightarrow l$ and $V(g) \not\leq V(l)$, as well as $l \not\rightarrow g$ and $V(l) \not\leq V(g)$
 - ➔ $V(l)$ and $V(g)$ not comparable $\Leftrightarrow l$ and g concurrent

6.4 Global State



(Animated slide)

A Motivating Example

- ➔ Scenario: peer-to-peer application, processes send requests to each other
- ➔ Question: when can the application terminate?
- ➔ **Wrong** answer: when no process is processing a request
 - ➔ reason: requests can still be on the way in messages!



- ➔ Other applications: distributed garbage collection, distributed deadlock detection, ...

6.4 Global State ...



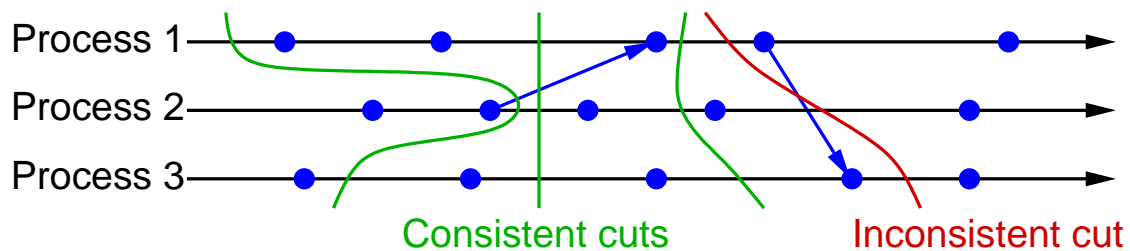
- ➔ How can we determine the overall state of a distributed process system?
 - ➔ naïvely: union of the states of all processes (**wrong!**)
- ➔ Two aspects have to be considered:
 - ➔ messages that are still in transit
 - ➔ must be included in the state
 - ➔ lack of global time
 - ➔ a global state at time t cannot be defined!
 - ➔ process states always refer to local (and thus different) times
 - ➔ question: condition on local times? ⇒ **consistent cuts**



(Animated slide)

Consistent Cuts

- ➔ Objective: build a meaningful global state from local states (which are not determined simultaneously)
- ➔ Processes are modeled by sequences of events:



- ➔ **Cut**: consider a **prefix** of the event sequence in each process
- ➔ **Consistent cut**:
 - ➔ if the cut contains the reception of a message, it also contains the sending of this message



The Snapshot Algorithm of Chandy and Lamport

- ➔ Determines online a “snapshot” of the global state
 - ➔ i.e.: a consistent cut
- ➔ The global state consists of:
 - ➔ the local states of all processes
 - ➔ the status of all communication connections
 - ➔ i.e. the messages in transmission
- ➔ Assumptions / properties:
 - ➔ reliable message channels with sequence retention
 - ➔ process graph is strongly connected
 - ➔ each process can trigger a snapshot at any time
 - ➔ the processes are not blocked during the algorithm

Notes for slide 214:

A graph is strongly connected if there is a path from each node to each other node. This property is necessary for each process to learn that a snapshot has been initiated.

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6.4 Global State ...



The Snapshot Algorithm of Chandy and Lamport ...

- ➔ When a process wants to initiate a snapshot:
 - ➔ process first saves its local state
 - ➔ then it sends a marker message over each outgoing channel
- ➔ When a process receives a marker message:
 - ➔ if it has not yet saved its local state:
 - ➔ it saves its local state
 - ➔ and sends a marker over each outgoing channel
 - ➔ else:
 - ➔ for the channel where the marker was received, it saves all messages that have been received since the local state was saved
 - ➔ i.e., it records the status of the channel



The Snapshot Algorithm of Chandy and Lamport ...

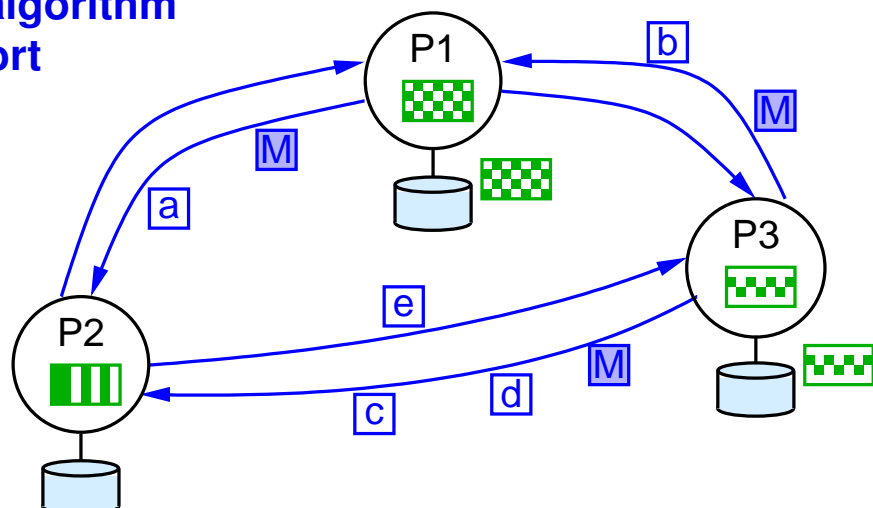
- ➔ The algorithm terminates when each process has received a marker message on each channel
 - ➔ the determined consistent section is then (initially) stored in a distributed way

6.4 Global State ...



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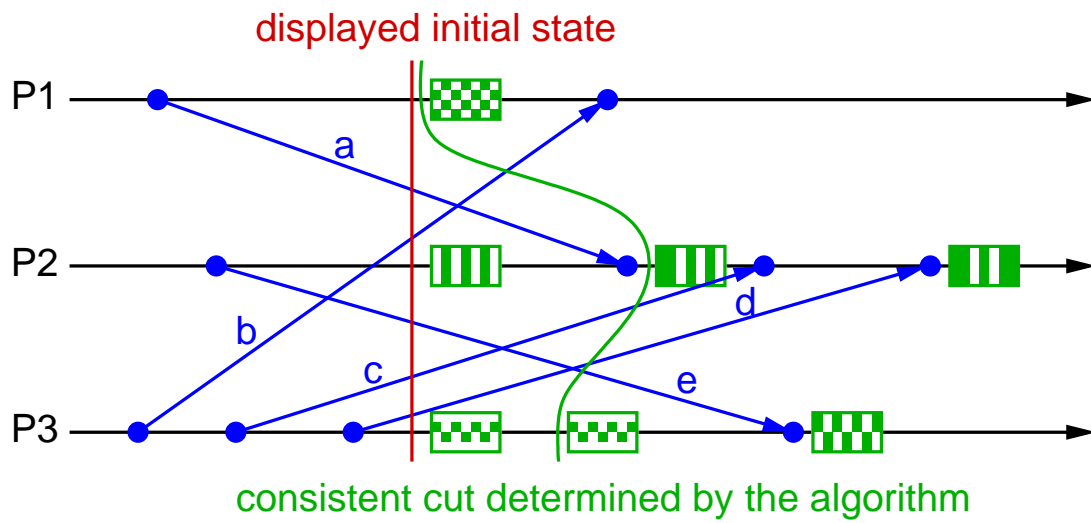
Example for the algorithm of Chandy/Lamport



1. P1 initiates a snapshot, saves its state, and sends markers
2. P3 receives a marker from P1, saves its state, and sends markers
3. P2 receives and processes a
 - P2 receives the marker from P1, saves its state, and sends markers
4. P1, P2, P3 save the incoming messages, until all markers are received

(Animated slide)

Sequence in the Example and Selected Cut



- ➔ The cut consists of the local states of P1, P2, P3 and the messages b, c, d, e