

## Exercise Sheet 2 Solution

## Parallel Processing Winter Term 2023/24

### Exercise 1: Dependence analysis

The correct answers are:

- a) There is a **true** dependence between **different** loop iterations from S1 to S2, e.g.:  
 $S1(i=7): a[7] = (b[6] + b[7]) / 2;$   
 $S2(i=8): b[8] = a[7] * c[8];$
- b) There is an **anti** dependence within a **single** loop iteration from S1 to S2, e.g.:  
 $S1(i=3): a[3] = (b[2] + b[3]) / 2;$   
 $S2(i=3): b[3] = a[7] * c[3];$
- d) There is a **true** dependence between **different** loop iterations from S2 to S1, e.g.:  
 $S2(i=3): b[3] = a[7] * c[3];$   
 $S1(i=4): a[4] = (b[3] + b[4]) / 2;$
- e) There is an **anti** dependence between **different** loop iterations from S2 to S1, e.g.:  
 $S2(i=6): b[6] = a[7] * c[6];$   
 $S1(i=7): a[7] = (b[6] + b[7]) / 2;$
- g) There is an **anti** dependence between **different** loop iterations from S2 to S3, e.g.:  
 $S2(i=1): b[1] = a[7] * c[1];$   
 $S3(i=2): c[1] = 2 * b[2];$
- j) The loop does not contain any **output** dependencies, since each iteration writes to a different element of arrays a, b, and c.

### Exercise 6: Parallelization of the Gauss/Seidel method using OpenMP

```

int solver(double **a, int n)
{
    int kmax = (int)(0.35 / eps);
    int i, j;
    int k;

    for (k=0; k<kmax; k++) {
        #pragma omp parallel private(i, j) firstprivate(a, n)
        {
            int ij, ja, je;

            for (ij=1; ij<2*n-4; ij++) {
                ja = (ij <= n-2) ? 1 : ij-(n-3);
                je = (ij <= n-2) ? ij : n-2;

                #pragma omp for
                for (j=ja; j<=je; j++) {
                    i = ij-j+1;

                    a[i][j] = 0.25 * (a[i][j-1] + a[i-1][j] +
                        a[i+1][j] + a[i][j+1]);
                }
            }
        }
    }
}

```

```

        }
    }
}
return kmax;
}

```

**Exercise 7 (For Motivated Students): Pipelined parallelization of the Gauss/Seidel method using OpenMP**

```

int solver(double **a, int n)
{
    int kmax = (int) (0.35 / eps);

    #pragma omp parallel firstprivate(a, n, kmax)
    {
        int i, j;
        int k;

        #pragma omp for ordered(2) schedule(static, 1)
        for (k=0; k<kmax; k++) {
            for (i=1; i<n-1; i++) {
                #pragma omp ordered depend(sink: k, i-1) depend(sink: k-1, i+1)
                for (j=1; j<n-1; j++) {
                    a[i][j] = 0.25 * (a[i][j-1] + a[i-1][j] +
                        a[i+1][j] + a[i][j+1]);
                }
                #pragma omp ordered depend(source)
            }
        }
        return kmax;
    }
}

```